Graph-less Neural Networks: Teaching Old MLPs New Tricks via Distillation

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Graph Neural Network (GNN) in Production

GNNs

• Message passing between neighbor nodes, which is a recursive process extends to multi-hop neighbors

Industrial applications

- Large scale graph data
- Expensive neighbor fetching
- Latency-constrained tasks
- Multi-layer Perceptron (MLP) remains the major workhorse

GNN vs. Multi-layer Perceptron (MLP)

GNN: message passing between data points **MLP:** independence between data points

Node classification accuracy on seven benchmarks

Accuracy of GNN (GraphSAGE) significantly outperforms MLP

GNN vs. MLP: Inference Time

 $time = \text{fetching data} + \text{forward pass}$

- GNN: Node fetching causes inference time to grow exponentially with respect to # layers
- MLP: Inference time grows only linearly and remains much smaller than GNNs even with more parameters.

GNN vs. Multi-layer Perceptron (MLP)

GNN: message passing between data points

- High accuracy
- Graph dependency (neighbor fetching)
	- Deployment challenge
	- Inference latency

MLP: independence between data points

- Less accurate than GNN
- No graph dependency
	- Faster and easier to deploy
	- Sidestep the cold-start problem

GNN and MLP: Combine Advantages

Accurate GNN:

- Graph dependency in learning
- Graph dependency in inference

Fast MLP:

- No graph dependency in learning
- No graph dependency in inference

Can we use graph dependency in learning, but not inference?

Our Proposal: Graph-less Neural Network (GLNN)

- Offline training: graph-dependent GNN + knowledge distillation (KD) to MLP
- Online prediction: faster and more accurate inference for new nodes

Trade-offs Between Speed and Accuracy

- GLNN accuracy improves greatly from MLP
- GLNNs are much faster and comparably accurate to GNN

GLNN Results: Accuracy

Significant accuracy improvement over MLPs.

GLNN Results: Accuracy

Competitive accuracy to GNNs on 6/7 datasets.

GLNN+: GLNNw4 on ArXiv: ~160,000 nodes and ~1.1M edges GLNNw8 on Products:

~2.5M nodes and ~61M edges

GLNN Results: Inference Time

Compare GLNN inference time to other common inference acceleration methods

- SAGE: Base GNN model
- QSAGE: Quantized SAGE, FP32 to INT8
- PSAGE: Pruned SAGE, with 50% model parameters pruned
- Neighbor Sampling: sampling 15 nodes per layer

Table 4: Common inference acceleration methods speed up SAGE, but still considerably slower than GLNNs. Numbers (in ms) are inductive inference on 10 randomly chosen nodes.

Neighbor Sample GLNN+ SAGE PSAGE OSAGE Datasets 91.03(5.37x) 489.49 433.90(1.13x) 465.43(1.05x) Arxiv						
	Products	2071.30	1946.49(1.06x)	2001.46(1.04x)	107.71(19.23x)	$\vert 3.34 \, (146.55 \times) \vert$ $\frac{1}{2}$ 7.56 (273.98 \times)

How Does GLNN Benefit from KD?

KD helps to regularize training of the MLP and mitigates overfitting.

KD helps MLPs to match inductive bias of GNNs.

$$
\mathcal{L}_{cut} = \frac{Tr(\hat{\bm{Y}}^T \bm{A} \hat{\bm{Y}})}{Tr(\hat{\bm{Y}}^T \bm{D} \hat{\bm{Y}})} \hspace{1cm} \mathcal{L}_{cut} \in [0,1]
$$

measures consistency between model prediction (\hat{Y}) and graph topology (\bm{A} : adjacency matrix, \bm{D} : degree matrix)

GLNNs are less useful in cases where labels have low correlation with node features. For example, they may be more related to the structure roles, like using node degrees as labels

Add Gaussian noise to node features $\tilde{\bm{X}} = (1-\alpha)\bm{X} + \alpha \epsilon$

- As the correlation between labels and node features decreases
	- GNN maintains reasonable prediction accuracy utilizing graph structure information
	- GLNN gets less accurate but still better than standalone MLP

NB: In practical tasks, the node features and structural roles are often highly correlated (Lerique et al. 2020).

Future Work

- Students with limited node fetching
- More sophisticated distillation techniques
- A guiding principle to decide whether GLNN is applicable to a given graph
- Towards the cold start problem as in Zheng et al. (2022)

Thank you! Q & A

Paper link Contact author

Reference

- Lerique, S., Abitbol, J. L., & Karsai, M. (2020). Joint embedding of structure and features via graph convolutional networks. *Applied Network Science*, *5*(1), 1-24.
- Zheng, W., Huang, E. W., Rao, N., Katariya, S., Wang, Z., & Subbian, K. (2021). Cold Brew: Distilling Graph Node Representations with Incomplete or Missing Neighborhoods.
- GNN illustration picture: https://snap-stanford.github.io/cs224w-notes/machinelearning-with-networks/graph-neural-networks

Appendix

Transductive vs. Inductive

Test nodes in the transductive setting: node features and structures have been observed during training, but labels are not.

Test nodes in the inductive setting: new nodes.

Transductive Setting and MLP Sizes

Table 1: GLNNs outperform MLPs by large margins and match GNNs on 5 of 7 datasets under the **transductive** setting. Δ_{MLP} (Δ_{GNN}) represents difference between the GLNN and a trained MLP (GNN). Results show accuracy (higher is better); $\Delta_{GNN} \ge 0$ indicates GLNN outperforms GNN.

Datasets	SAGE	MLP	GLNN	Δ_{MLP}	Δ_{GNN}
Cora	80.52 ± 1.77 70.33 ± 1.97	59.22 ± 1.31 59.61 ± 2.88	80.54 ± 1.35 71.77 ± 2.01	21.32 (36.00%)	$0.02(0.02\%)$
Citeseer Pubmed	75.39 ± 2.09	67.55 ± 2.31	75.42 ± 2.31	$12.16(20.40\%)$ $7.87(11.65\%)$	$1.44(2.05\%)$ $0.03(0.04\%)$
A-computer	82.97 ± 2.16	67.80 ± 1.06	83.03 ± 1.87	$15.23(22.46\%)$	0.06(0.07%)
A-photo Arxiv Products	90.90 ± 0.84 70.92 ± 0.17 78.61 ± 0.49	78.77 ± 1.74 56.05 ± 0.46 62.47 ± 0.10	92.11 ± 1.08 63.46 ± 0.45 68.86 ± 0.46	$13.34(16.94\%)$ 7.41 (13.24%) 6.39 (10.23%)	$1.21(1.33\%)$ $-7.46(-10.52%)$ $-9.75(-12.4\%)$

Table 2: Enlarged GLNNs match the performance of GNNs on the OGB datasets. For Arxiv, we use MLPw4 (GLNNw4). For Products, we use MLPw8 (GLNNw8).

GLNN with Different Teach GNNs

GLNN works with different GNN architectures as the teacher model

GLNN with One-hop Feature Augmentation

- 1. 1-hop GA-MLP: firstly, for each node v, we collect features of its 1-hop neighbors u to augment the raw feature of v, i.e. $x_v \rightarrow \tilde{x}_v$, like in SGC. Then we train an MLP on the graph with \tilde{x}_v . Note if v is in the observed graph but u is in the inductive (unobserved during training) part, then v doesn't collect features from u .
- 2. 1-hop GA-GLNN: Go through the same feature augmentation step as 1-hop GA-MLP. Then train an MLP with distillation from teacher GNN.
- 3. In summary, we compare 5 different models in the table below
	- (a) SAGE: single model on x_v
	- (b) MLP: single model on x_v
	- (c) GLNN: SAGE teacher and MLP student on x_v
	- (d) 1-hop GA-MLP: single model on \tilde{x}_v
	- (e) 1-hop GA-GLNN: SAGE teacher on x_v , MLP student on \tilde{x}_v

